

### B] High injection effect.

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- The ambipolar transport equation that we have used to determine the minority charge concentration assumed Low injection.
- As  $V_{BE}$  increases, the injected minority carrier concentration may approach, or even become larger than, the majority carrier concentration.
- If we assume quasi-charge neutrality (Remember, that  $\beta \approx 0$   $\Rightarrow n_p = n_n$ ), then the majority carrier hole concentration in p-type base at  $x=0$  will rise in fig(a), becoz of excess holes.

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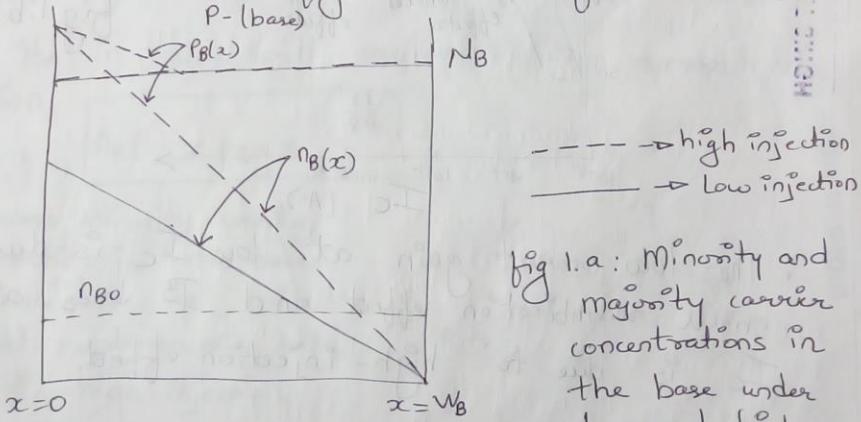


fig 1.a: Minority and majority carrier concentrations in the base under low and high injection.

$\Rightarrow$  Two effects occurs in the BJT at high injection:

- The 1st effect is a reduction in emitter injection efficiency.



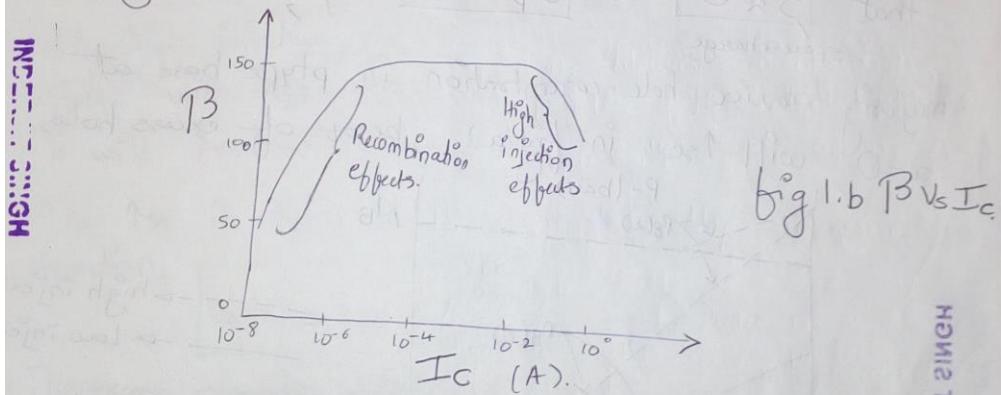
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- Since, the majority carrier hole concentration at  $x=0$  increases with high injection (more holes are injected back into emitter base of F.B.  $V_{BE}$ ).

- An increase in hole injection causes an increase in  $I_{EP}$  current, & an increase in  $I_{EP}$  reduces the emitter injection efficiency

$$\gamma = \frac{I_{EN}}{I_{EN} + I_{EP}} \quad \left[ \gamma = \frac{1}{1 + \frac{I_{EP}}{I_{EN}}} \right]$$

- b) The common emitter current gain  $\beta$  decreases with high injection.



- The low current gain at low  $I_c$  is due to small recombination effect and  $\beta$  decreases at high  $I_c$  is due to high-injection effect.

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I.C.15/7/15

- At low injection, the majority carrier hole concentration is at  $x=0$  for npn BJT is,

$$P_B(0) = P_{B0} = N_B$$

and the minority carrier electron concentration is

$$n_B(0) = n_{B0} e^{-\left(\frac{V_{BE}}{V_T}\right)}$$

The pn product is,

$$P_B(0) n_B(0) = P_{B0} n_{B0} e^{-\left(\frac{V_{BE}}{V_T}\right)} \quad - (1)$$

- At high injection, eqn ① still applies. However,  $P_B(0)$  will also increase, and for very high injection it will increase at nearly the same rate as  $n_B(0)$ .

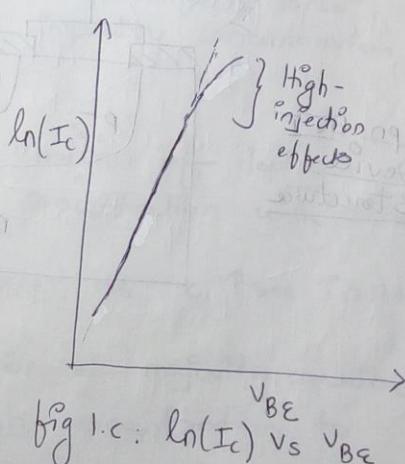
- The increase in  $n_B(0)$  will asymptotically approach the function,

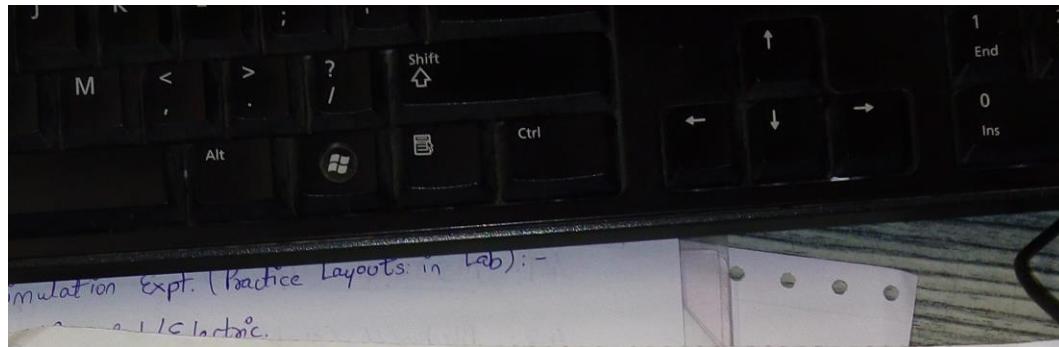
$$n_B(0) \approx n_{B0} e^{-\left(\frac{V_{BE}}{2V_T}\right)} \quad - (2)$$

- The excess minority carrier concentration in the base and hence the  $I_C$ , will increase at a slower rate with  $V_{BE}$  in high injection than low injection.

This effect is shown in fig I.c.

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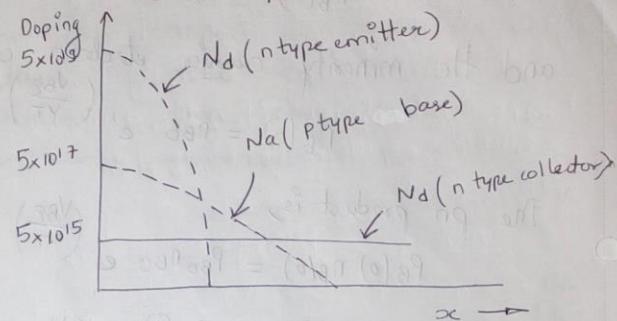
### C) Non-uniform Base doping:

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In analysis of BJT, we assumed uniformly doped regions. However, uniform doping rarely occurs.

#### For understanding (Extra):

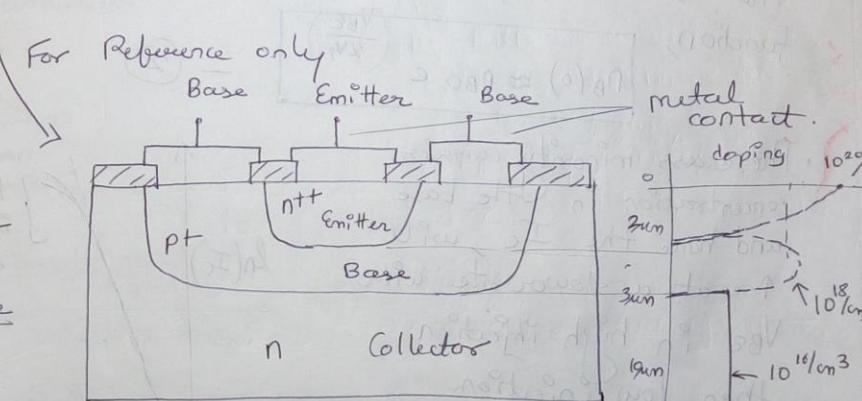
(we can start with a uniformly doped n-type substrate, diffuse acceptor atoms from the surface to a compensated p-type base, & then diffuse donor atoms from the surface to form a doubly compensated n-type emitter. The diffusion process results in a non-uniform doping profile).



fig(1.9): Impurity concentration profiles of a double-diffused n-p-n BJT

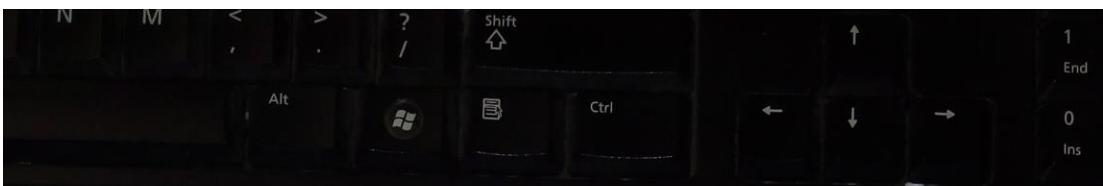
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n-p-n BJT  
Device  
Structure



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Doping profile  
(highly non-uniform)



Tools: Microwind/Electric.

Extra!

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Q. Non-uniform impurity concentration leads to an induced electric field?

⇒ Consider a non-uniformly doped semiconductor with donor impurity atoms. If the semiconductor is in thermal equilibrium, then Fermi-level is constant throughout the semiconductor as shown in fig.(b).

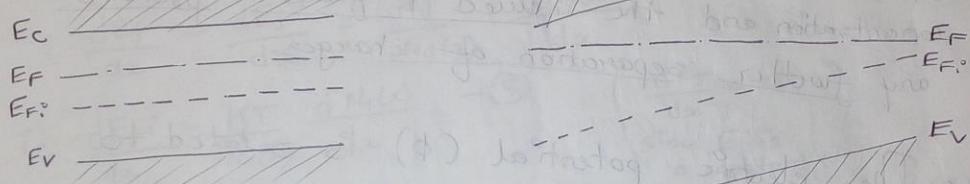


fig a: EVD of a uniformly doped semiconductor.

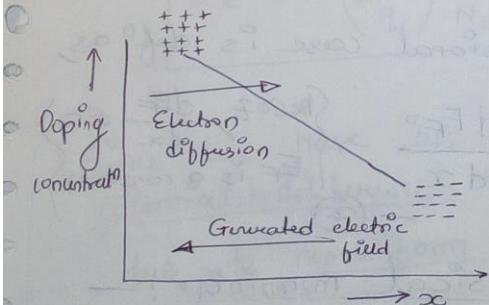


fig b: EVD for a semiconductor in equilibrium with a non-uniform donor impurity concentration.

fig c: Variation of doping concentration with distance.

- The doping concentration ↓s as  $x \uparrow s$  in this case.  
ie → There will be a diffusion of majority carrier ↓s from the region of high concentration to



"10 simulation Expt. (Practice Layouts in Lab): -  
Task: Micromind / Selection

Extra

region of low concentration, which is in  $+x$  direction 22R

• The flow of  $e^-$ s leaves behind truly charged donor ions.

• The separation of positive and negative charge induces an E-field ie directed to oppose the diffusion process

• When equilibrium is reached, the mobile carrier concentration is not exactly equal to fixed impurity concentration and the induced E-field prevents any further separation of charges.

• The electric potential ( $\phi$ ) is related to electron potential energy by charge ( $-q$ ),

$$\phi = \frac{1}{q} (E_F - E_{F_i}) \quad \text{--- (1)}$$

The E-field for one-dimensional case is def' as,

$$E_x = -\frac{d\phi}{dx} = \frac{1}{q} \frac{dE_{F_i}}{dx} \quad \left. \begin{array}{l} \text{becoz, } \frac{dE_F}{dx} = 0 \\ E_F \text{ is a constant} \end{array} \right\} \quad \text{--- (2)}$$

Rule:  $\Leftarrow$  Equation (2)'s physical meaning: -

\* [If intrinsic Fermi level ( $E_{F_i}$ ) changes as a function of distance through a semiconductor in thermal equilibrium, an Electric field exists in the semiconductor]

Tools: Microsoft Word (Practice Layouts in Lab). -

- If we assume a quasi-neutrality condition (in which the electron concentration is almost equal to donor impurity concentration), then

$$n_0 \approx n_i \exp\left(\frac{E_f - E_{fi}^0}{KT}\right) \approx N_d(x) \quad (3)$$

Solving for  $E_f - E_{fi}^0 \Rightarrow E_f - E_{fi}^0 = KT \ln\left[\frac{N_d(x)}{n_i}\right] \quad (4)$

Now differentiate eqn (4) w.r.t  $x$ , we get

$$\frac{dE_f}{dx} - \frac{dE_{fi}^0}{dx} = \frac{KT}{N_d(x)} \frac{dN_d(x)}{dx}$$

i.e.  $\frac{dE_f}{dx} = \frac{KT}{N_d(x)} \frac{dN_d(x)}{dx} \quad (5)$   $\left( \frac{dE_{fi}^0}{dx} \approx 0 \right)$   
since  $E_f$  is a constant

Thus, E-field can be written, combining eqn (5) & (2),

$$E_x = -\left(\frac{KT}{q}\right) \frac{1}{N_d(x)} \frac{dN_d(x)}{dx} \quad (6)$$

Since we have an E-field, there will be a potential difference through the semiconductor due to non-uniform doping.

This result we are gonna use in Non-uniform base doping concept!

Tools: Microsim / Electronic.

Tool: a TCAD Lab on nanohub.org.

> nanohub.org

↳ Tool

FETtoy, CNT Mobility, Nanomos

\* Non-uniform base doping --- (Continue) 24

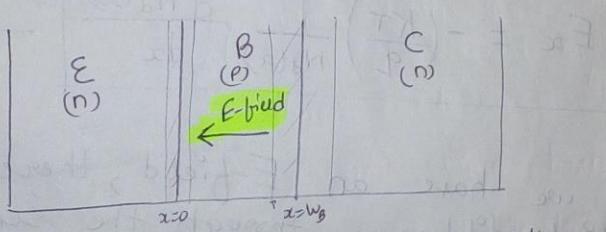
For a p-type base region (npn BJT) in thermal equilibrium, we can write

$$J_p = q \mu_p N_a E - q D_p \frac{dN_a}{dx} = 0 \quad (i)$$

Hole current density

$$\text{then, } E = \left(\frac{kT}{q}\right) \frac{1}{N_a} \frac{dN_a}{dx} \quad (ii)$$

According to the example of fig(1.a),  $\frac{dN_a}{dx}$  is -ve, hence due to non-uniform doping in base, an induced E-field is in -ve x-direction.



Electrons are injected from n-type emitter into the base and the minority carrier base electrons begin diffusing towards the collector region.

The induced E-field in the base, produces a force on the electrons in the direction towards the collector.



- The induced E-field, then AIDS the flow of 25 minority carriers across the base region. This E-field is called "accelerating E-field".
- This E-field will produce a drift component of current i.e. in addition to existing diffusion current.
- Since minority carrier electron concentration varies across the base, drift current density will not be a constant.
- The induced electric field in the base due to non-uniform base doping will alter the minority carrier distribution through the base, such that the sum of drift and diffusion current will be a constant.

